

**STAT 514**  
**Exam I — Spring 1995**

Name \_\_\_\_\_

- 1) Dr. Chen and Dr. Tom are interested in studying the tumor inhibition properties of PALA (*N*-phosphonacetyl-L-aspartate). The layout for their experiment was as follows.

$0m\mu$ PALA	$10m\mu$ PALA	$20m\mu$ PALA	$30m\mu$ PALA
XXX	XXX	XXX	XXX

The response variable measured in each test tube was  $Y$  = growth rate of tumor cells. In my ANOVA, level of PALA is significant with  $p = .03$ .

- a) What is the approximate comparisonwise error rate if I do *SNK* at  $\alpha = .05$ ?

- b) What set of contrasts correspond to the comparisons made in a)? If I tested these contrasts at  $\alpha = .05$ , what is the approximate experiment-wise error rate?

- c) How could I tell that the contrasts in b) cannot be orthogonal *without* checking the definition of orthogonality?
- d) Suppose I compare the control group to the others using a one-sided Dunnett's test ( $\alpha = .05$ ). Are there a set of contrasts which correspond to this at some  $\alpha$  level? Why?
- e) Suppose that the experimenters believe (prior to the experiment) that PALA has no effect until  $15m\mu$ , and then that the effect is constant above that dose. What set of orthogonal contrasts test these hypotheses?
- f) What is the *main* danger in picking contrasts after seeing the data?

2) In a finishing plant, I randomly select 3 operators and 3 machines to see the effect of rotation speed on gloss of the finished part. There are 2 speeds I will use in the experiment, 80 and 100 r.p.m.

a) Draw the layout (everything is crossed), 3 observations per cell.

b) The ANOVA table for the above is:

Source	df	SS	EMS
$O_i$		323	
$M_j$		421	
$S_k$		373	
$OM_{ij}$		127	
$OS_{ik}$		111	
$MS_{jk}$		101	
$OMS_{ijk}$		89	
$\varepsilon_{(ijk)\ell}$		352	

Fill in d.f. and EMS (using the algorithm).

c) Conduct the appropriate  $F$ -tests, pooling when possible.

d) Outline your post- $F$ -test analysis.

3. Consider Figure 2-9 on page 32 of Montgomery. Suppose  $\sigma = 5$ .

a) Suppose I wish to detect a mean difference of 5 with power = 80%. What should the sample size be?

b) If the sample size was 4, and the mean difference was 10, what would my power be?

c) For what standard deviation could I detect a mean difference of 20 with probability 60%?